

## COURSE OUTLINE

### (1) GENERAL

<b>SCHOOL</b>	SCHOOL OF SCIENCES		
<b>ACADEMIC UNIT</b>	DEPARTMENT OF MATHEMATICS		
<b>LEVEL OF STUDIES</b>	POSTGRADUATE <b>Studies in Mathematics</b>		
<b>COURSE CODE</b>	<b>C1</b>	<b>SEMESTER</b>	
<b>COURSE TITLE</b>	DISCRETE MATHEMATICS		
<b>INDEPENDENT TEACHING ACTIVITIES</b>		<b>WEEKLY TEACHING HOURS</b>	<b>CREDITS</b>
		3	10
<b>COURSE TYPE</b>	SPECIALISED GENERAL KNOWLEDGE		
<b>PREREQUISITE COURSES:</b>	NO		
<b>LANGUAGE OF INSTRUCTION and EXAMINATIONS:</b>	GREEK		
<b>IS THE COURSE OFFERED TO ERASMUS STUDENTS</b>	YES		
<b>COURSE WEBSITE (URL)</b>	<a href="http://www.math.aegean.gr/index.php/en/academics/undergraduate-programs">http://www.math.aegean.gr/index.php/en/academics/undergraduate-programs</a>		

### (2) LEARNING OUTCOMES

<b>Learning outcomes</b>
<p>This course aims at introducing students to graph theory and computation theory. The first part of the course covers some historical facts and then the students are familiarized with graph connectivity, traversability theory (Euler and Hamilton cycles), finding the shortest path in a graph, trees, planarity and graph coloring. The second part of the course covers the concept of regular languages and how a problem can be encoded as a string of a language, fundamental computation models like Finite State Machines and Turing Machines and the complexity of algorithms. Finally, they learn about problem classification depending on its solvability and the complexity of the algorithm that solves it.</p>
<b>General Competences</b>
<p>Working Independently          Working in an international environment          Working in an interdisciplinary environment</p>

### (3) SYLLABUS

<p><b>First Part:</b> Definition of various graph models. Definition of a vertex, an edge, and a path. Distance between two vertices. Eccentricity of a vertex. Weighted Graphs. Graph connectivity and traversability theory (Euler and Hamilton cycles), conditions sufficient for the existence of Hamiltonian cycles, the travelling salesman problem, finding the shortest path in a graph (Dijkstra and Bellman-Ford's Algorithms). Trees (algorithms for finding minimum spanning trees in a connected graph, tree traversal methods), planarity (Kuratowski's theorem and applications of planar graphs) and graph coloring (4-colors problem, chromatic number of graph and methods of finding of the chromatic polynomial of a graph).</p> <p><b>Second Part:</b> Problem definition. Decision Problems. Regular languages and how a decision problem can be encoded as a string of a language. Fundamental computation models and its variants: Finite State Machines and Turing Machines. Complexity of algorithms. Problem classification depending on</p>
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its solvability and the complexity of the algorithm that solves it.

#### (4) TEACHING and LEARNING METHODS - EVALUATION

<b>DELIVERY</b>	Face-to-face	
<b>USE OF INFORMATION AND COMMUNICATIONS TECHNOLOGY</b>	<ul style="list-style-type: none"> <li>• Use of ICT in teaching (slides and interactive whiteboard).</li> <li>• Communication with students via e-mail.</li> <li>• Uploading course material on moodle system.</li> </ul>	
<b>TEACHING METHODS</b>	<i>Activity</i>	<i>Semester workload</i>
	Lectures	39
	Independent study	148.5
	Assignments	62.5
	Course total (25 per ECTS)	<b>250</b>
<b>STUDENT PERFORMANCE EVALUATION</b>	<p>Student evaluation is done in Greek through a written examination which includes short-answer equations and problem solving.</p> <p>For students with disabilities, evaluation takes place via oral exams.</p>	

#### (5) ATTACHED BIBLIOGRAPHY

1. Elements of Discrete Mathematics, C. L. Liu, McGraw Hill Computer Science Series.
2. Introduction to the theory of computation, Michael Sipser, Cengage Learning.